Application of MSA analysis for the evaluation of instruments for measuring the surface texture

Zastosowanie analizy MSA do oceny przyrządów do pomiaru struktury geometrycznej powierzchni

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Presented is the application of MSA elements (measurement system analysis) for the assessment of measuring instruments that use contact and optical methods to measure surface texture. The main field of the study was the procedure of experimental deviations (bias).

KEYWORDS: surface texture, measurement system analysis

The basis for the functioning of a modern manufacturing enterprise is the use of statistical process control systems (SPC). They ensure continuous supervision over the production process and enable quick response to irregularities.

The supervisory system allows for gathering information and analyzing the course of the process, and thus preventing the occurrence of non-conformities (such as producing a product not compliant with the specification) and avoiding related losses. The main tasks of the SPC are: identifying the signal indicating the process disregulation, detecting the causes of the observed deregulation and using the obtained information to improve the process.

The quality control of products and production processes is carried out on the basis of measurement data collected during the manufacture or collection of finished products.

Analysis of MSA (measurement systems analysis) enables practical determination of numerical values of the measurement system parameters that determine the reliability of the data collected using it.

Measurement data are obtained using instruments or measuring systems that, like other man-made products, are not perfect. In fact, each $X_0$, measurement result obtained by means of a measuring instrument reproduces in a more or less precise way the true value $X_T$ of the measured quantity in the form of a number. The smaller the difference $\Delta = X_0 - X_T$, the more accurate the measurement result. To determine the level of accuracy of the measurement result, determine the value of the difference $\Delta$ between the measurement result and the reference value, which is an estimate of the true value.

In industrial practice and scientific research, the values are measured without knowing their true value, which is connected with the lack of the possibility of determining the absolute measurement error $\Delta$.

The process of measurement is influenced by many factors, including: the measurement method and procedure, the calibration procedure, the measuring instrument, environmental conditions and the metrologist [1-3]. These factors change over time and result in variability in measurement results, which is random.

This phenomenon can be observed during measurements of the same size, carried out under the conditions of repeatability with the use of a measuring instrument of appropriate resolution. With the measurement process defined in this way, the measurement results can be treated as a random variable, analyzed statistically and presented, giving their measures of position and dispersion.

If many factors influence the measurement process, none of which is decisive, the distribution of the variability of the measurement results can be described by the normal Gaussian probability distribution. The measure of the position of all possible measurement results is the average value, and the measure of dispersion - the value of the standard deviation.

Fig. 1 presents a graphical interpretation of a series of measurements. Value of the experimental standard deviation makes it possible to estimate the maximum spread of the measurement results, i.e. the range of values in which the probability of 0.997 should be the results of successively repeated measurements.

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If the absolute error value $\Delta$ is not known, the assessment of the reliability of the measurement data is not fully possible. If the assumption is assumed that the metrological supervision of measuring equipment is a sufficient condition, and the absolute value of the measurement being decisive is equal to or close to 0 and negligible, it is justified to use only the R&R procedure (repeatability and reproducibility).

Assuming that the absolute error values cannot be neglected, the R&R analysis itself is inadequate. It is necessary to carry out a full MSA procedure, including a linearity analysis of experimental deviations. The linearity analysis uses information about the measuring instrument obtained during the experiment consisting in repeated measurements of several patterns with known $X_{\text{odn}}$ reference values, with a certain uncertainty, selected so as to cover the measuring range of the evaluated instrument at regular intervals [4, 5].

After the experiment, a series of measurement results is obtained during the experiment consisting in repeated measurements of each control pattern on the basis of which regression analysis is performed and the linearity of the determined data in the form of linear profile $z(x)$ or $z(x, y)$ inequalities occurring on the surface of the measured object. For the reliability of the results, the linearity of the transducer used in the instrument is important, regardless of the method used [7].

### Research Program

The analysis of the linearity of experimental deviations was carried out for the following three instruments:

- contact profilometer with a conical diamond blade with a geometry of: $\alpha = 90^\circ$, $t_{\text{tip}} = 2 \mu m$; the instrument is equipped with an interferometric head with a resolution of 0.8 nm and a measuring range in the OZ axis of 12.5 mm; has an active system of vibration isolation, allowing effective damping of vibrations; an OX sampling rate of 0.5 $\mu m$ was used;
- an optical device using a coherent correlation interferometry method with a measurement range of 2.2 mm and a resolution of 10 $\mu m$ with image analysis based on a 1024 $\times$ 1024 pixel matrix; the tests were carried out for a magnification of $\times$10, allowing the measurement over an area of $1.67 \times 1.67$ mm, with a sampling rate in the OX and OY axes equal to 1.67 $\times$ 1.67 $\mu m$;
- an open-architecture profilometric measuring device that allows the use of various types of data collection; in the research a device equipped with a confocal profilometric head with a measuring range of 140 $\mu m$ and a resolution of 8 $\mu m$ was used; the minimum sampling step in the OX and OY axes is 0.1 $\mu m$.

The analysis of the linearity of individual measurement systems was based on the measurement results of the A2/PGR standard, consisting of six grooves with depths of $h$ = 0.24; 0.37; 1.03; 2.41; 5.00; 9.14 $\mu m$, which was a known reference value. At the same time, the uncertainty of determining the reference value was known.

Fig. 3 shows the isometric image of the standard used for testing, in fig. 4 - the selected profile of the measured standard, while in fig. 5 - the method of determining the depth of the groove.
The results of three series of measurements of the A2/PGR standard made with individual instruments are presented in the tab. I.

Tab. II sets the linear regression equations and the determination coefficients for individual instruments.

**TABLE I. Results of measurements of the A2/PGR standard made with individual instruments**

<table>
<thead>
<tr>
<th>Type of device</th>
<th>Depth of groove, nm</th>
</tr>
</thead>
<tbody>
<tr>
<td>Contact profilometer</td>
<td>9 140 5 000 2 410 1 030 370 240</td>
</tr>
<tr>
<td>Interferometric</td>
<td>9 082 4 977 2 397 1 017 363 235</td>
</tr>
<tr>
<td>Confocal</td>
<td>9 121 4 963 2 371 991 367 238</td>
</tr>
<tr>
<td>Confocal</td>
<td>9 120 4 967 2 374 1 007 372 227</td>
</tr>
<tr>
<td>Confocal</td>
<td>9 126 4 972 2 382 1 020 363 237</td>
</tr>
</tbody>
</table>

**TABLE II. Regression equations and determination coefficients for the analyzed instruments**

<table>
<thead>
<tr>
<th>Type of device</th>
<th>Regression equation</th>
<th>$R^2$</th>
</tr>
</thead>
<tbody>
<tr>
<td>Contact profilometer</td>
<td>bias = $-0.00542 \cdot X - 0.0026$</td>
<td>0.94</td>
</tr>
<tr>
<td>Interferometric</td>
<td>bias = $-0.00747 \cdot X - 0.0059$</td>
<td>0.97</td>
</tr>
<tr>
<td>Confocal</td>
<td>bias = $-0.00131 \cdot X - 0.0016$</td>
<td>0.09</td>
</tr>
</tbody>
</table>

The results of linearity analysis of experimental deviations for individual instruments are presented in figs. 6-8.

**Conclusions**

The R&R procedure takes into account the deviations $\Delta$, which introduce individual instruments, indicates the direction in relation to the true value of the measured value, but does not allow to determine the absolute value of this deviation. Only the analysis of linearity enables the determination of a simple regression of experimental deviation, which can be used to introduce a correction of results or be necessary information to build a budget of measurement uncertainty. Cyclic repetition of the linearity analysis at specified time intervals gives information about the stability of the measurement system.

In the case of all analyzed devices for measuring the geometric structure of the surface, a negative directional coefficient of straight regression was obtained, which means that the values of the coordinates of vertical inequalities will be smaller than the real values.

The modulus of the linear regression coefficient for a device with confocal head has the smallest value, which could indicate a small deviation $\Delta$, but on the other hand, a small value of the regression coefficient $R^2 = 0.09$ does not allow an unambiguous evaluation of the obtained results.

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REFERENCES